# **SELECTION**

## INTRODUCTION TO SELECTION

READING: Nielsen & Slatkin pp. 129-177 (next several lectures)

#### • General Comments

- What is selection?
- Elements of Adaptive Evolution:
  - (1) Development
  - (2) Ecology
  - (3) Population Genetics

### Asexual inheritance

- Two clones: A and a with numbers  $N_A$ ,  $N_a$
- Clone A (similarly for clone a):
  - viability =  $v_A$
  - fecundity =  $f_A$
  - absolute fitness =  $W_A = v_A f_A$

- Next generation: 
$$\begin{cases} N'_{A} = W_{A}N_{A} \\ N'_{a} = W_{a}N_{a} \end{cases}$$

- Another view: genotype frequencies

• 
$$p =$$
frequency of  $A = \frac{N_A}{N_A + N_a}$ 

- Next generation:  $p = \frac{N'_A}{N'_A + N'_a} = \frac{N_A W_A}{N_A W_A + N_a W_a} = \frac{p W_A}{p W_A + q W_a}$  or  $p' = \frac{W_A}{\overline{W}} p$
- What is  $\overline{W} = pW_A + qW_a = pW_A + (1-p)W_a$ ?
  - population **mean fitness**: average of  $W_A$  and  $W_a$ , weighted by frequencies of A and a.

- Yet another view: rate of evolution

$$\Delta p = p' - p = \left(\frac{W_A}{\overline{W}}p\right) - p = \frac{W_A - \overline{W}}{\overline{W}}p = p\frac{W_A - pW_A - (1-p)W_a}{\overline{W}}$$
$$\Delta p = p(1-p)\frac{W_A - W_a}{\overline{W}} = pq\frac{W_A - W_a}{\overline{W}}$$

or

(1) Selection

(2) Genetics (inheritance)

### • DIGRESSION: "Absolute vs. Relative fitness"

-Suppose  $W_A$  and  $W_a$  are both divided by 2:  $\widetilde{W}_A = W_A/2$ ,  $\widetilde{W}_a = W_a/2$ 

- Mean fitness is halved:  $\overline{\widetilde{W}} = p\widetilde{W}_A + q\widetilde{W}_a = \frac{pW_A}{2} + \frac{qW_a}{2} = \frac{\overline{W}}{2}$ .
- Rate of gene frequency change is not affected:

$$\Delta p = p(1-p)\frac{\widetilde{W}_A - \widetilde{W}_a}{\overline{\widetilde{W}}} = pq\frac{(W_A - W_a)/2}{\overline{W}/2} = pq\frac{W_A - W_a}{\overline{W}}$$

– <u>Conclude</u>: Only **ratio** of  $W_A$  and  $W_a$  contributes to gene frequency change.

- <u>Implication</u>: Only **relative fitnesses** needed to predict genotype frequency change.

- E.g., Can use  $W_a$  as a standard:  $w_A = W_A/W_a$ ;  $w_a = W_a/W_a = 1$
- NOTE: Can go from  $W_A \rightarrow W_A$  but <u>not</u>  $W_A \rightarrow W_A$ .

- Number vs. frequency:  $\underline{N}(N_A, N_a)$  vs. p

- Evolution within populations is better described by *p* than *N*.
- Only need relative fitnesses to follow *p* 
  - $-\underline{But} \quad w \neq W$ , so changes in N will be ignored.

## • Selection Coefficients

- Can write ratio  $W_A$ :  $W_a$  as 1:1-s =  $w_A$ :  $w_a$ 
  - "s" is called the <u>selection coefficient</u> of *a*.
    - *s* ranges from 1 to  $-\infty$
    - Using this notation:

$$\Delta p = pq \frac{1-(1-s)}{p+q(1-s)} \quad \text{or} \ \ \Delta p = pq \frac{s}{1-sq}$$

- Selection coefficients in the real world
  - Famous Example Biston betularia (peppered moth).
  - Examples of Strong Selection:
    - DDT resistance in Drosophila, San Jose scale, *Anopholes* mosquitoes, antibiotic resistance in bacteria, pathogenesis of AIDS.
  - <u>Typical</u> selection coefficients.
  - <u>Newly arisen mutations</u> in nature.